

1. A rental car fleet owner suspects the mean annual mileage of his cars is greater than the national mean of 12,000 miles.

The null and alternative hypotheses are

$$H_0: \mu = 12,000 \text{ miles}$$

$$H_a: \mu > 12,000 \text{ miles}$$

He selects a random sample of 225 cars and finds that

$$\bar{x} = 12,375 \text{ miles} \quad s = 2,415 \text{ miles}$$

Determine the z-score for the sample.

$$Z = \frac{12,375 - 12,000}{2,415 / \sqrt{225}} = 2.33$$

Determine the P-value for the sample.

$$Z = 2.33 \xrightarrow{\text{Table}} P\text{-value} = |-0.9901| = .0099$$

What does this P-value imply?

Because the P-value is significant, reject H_0 .

There is strong evidence that his cars travel on average more than 12,000 miles per year.

2. At one school, the average amount of time that tenth-graders spend watching television each week is 21 hours. The principal introduces a campaign to encourage the students to watch less television.

The null and alternative hypotheses are

$$H_0: \mu = 21 \text{ hrs}$$

$$H_a: \mu < 21 \text{ hrs}$$

A year later she selects a random sample of 80 students and finds that $\bar{x} = 20.4$ hours $s = 2.4$ hours

Determine the z-score for the sample.

$$Z = \frac{20.4 - 21}{2.4 / \sqrt{80}} = -2.24$$

Determine the P-value for the sample.

$$Z = -2.24 \xrightarrow{\text{Table}} P\text{-value} = .0125$$

What does this P-value imply?

Because the P-value is significant, reject H_0 .

There is strong evidence that the average time 10th-graders spend watching tv each week at this school is less than 21 hours.

3. A health insurer has determined that the reasonable fee for a certain medical procedure is \$1200. They suspect that the average fee charged by one particular clinic for this procedure is higher than \$1200.

The null and alternative hypotheses are

$$H_0: \mu = \$1,200$$

$$H_a: \mu > \$1,200$$

They select a random sample of 65 patients and find that $\bar{x} = \$1,280$ $s = \$220$

Determine the z-score for the sample.

$$Z = \frac{1,280 - 1,200}{220/\sqrt{65}} = 2.93$$

Determine the P-value for the sample.

$$Z = 2.93 \xrightarrow{\text{Table}} P\text{-value} = 1 - .9983 = .0017$$

What does this P-value imply?

Because the P-value is significant, reject H_0 .

There is strong evidence that the average fee charged by one particular clinic for this procedure is higher than \$1200.

4. A drug company that wants to be sure that its "500-milligram" aspirin tablets really contain 500 milligrams of aspirin.

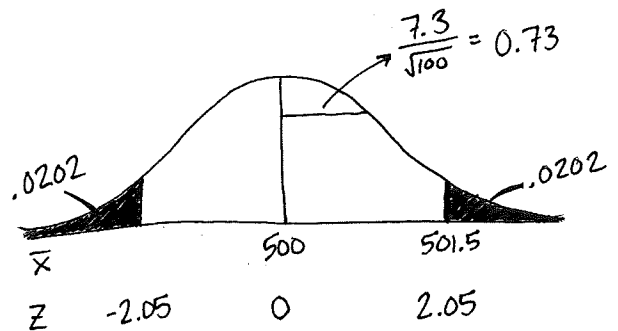
The null and alternative hypotheses are

$$H_0: \mu = 500 \text{ milligrams}$$

$$H_a: \mu \neq 500 \text{ milligrams}$$

The company selects a random sample of $n = 100$ tablets and finds that they have a mean weight of $\bar{x} = 501.5$ milligrams and a standard deviation of $s = 7.3$ milligrams.

$$Z = \frac{501.5 - 500}{7.3/\sqrt{100}} = 2.05$$



$$P\text{-value for one tailed } Z = 2.05 \xrightarrow{\text{Table}} P\text{-value} = 1 - .9798 = .0202$$

$$P\text{-value for two tailed } .0202 \times 2 = .0404$$